

Strukturaufklärung in der molekularen anorganischen Chemie

1. Einführung

Molekülstruktur, Geschichte

„Bernhard von Chartres sagte, wir seien gleichsam Zwerge, die auf den Schultern von Riesen sitzen, um mehr und Entfernteres als diese sehen zu können – freilich nicht dank eigener scharfer Sehkraft oder Körpergröße, sondern weil die Größe der Riesen uns emporhebt.“

– Johannes von Salisbury: *Metalogicon* (1159) 3, 4, 47–50

Molekülstruktur, Butlerow



A handwritten signature in cursive script, appearing to read "А. М. Бутлеров".

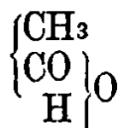
Alexander Michailowitsch Butlerow

1828 – 1886

1864:

Въ самомъ дѣлѣ, сравнивая раціональныя формулы уксусной и янтарной кислотъ легко замѣтить, что роли радикала мэфилла (въ кислотѣ уксусной) и эфилена (въ кислотѣ янтарной)—аналогичны:

• уксусная кислота



янтарная кислота

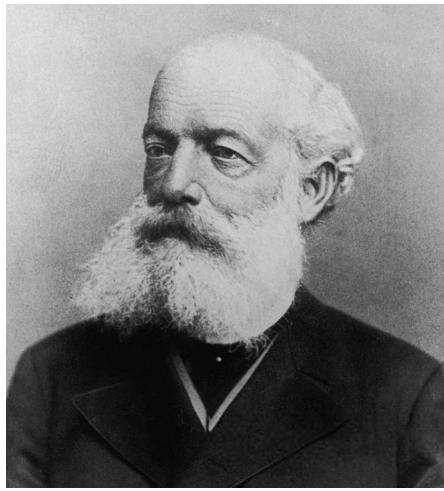


Essigsäure

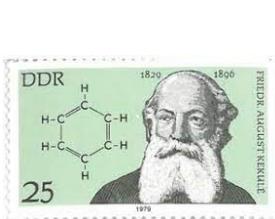
Bernsteinsäure



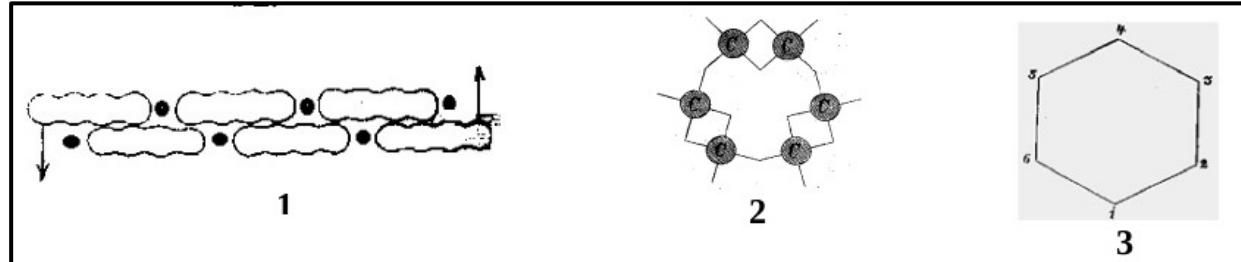
Molekülstruktur, Kekulé



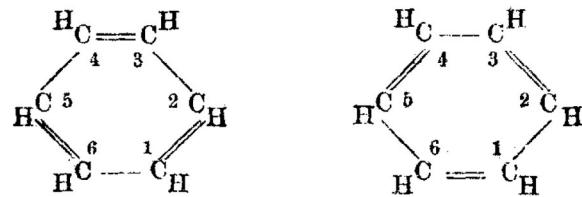
August Kekulé
1829 – 1896



C₆H₆ 1859 – 1863:



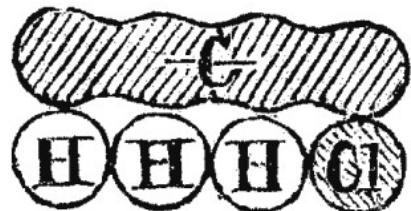
1865:



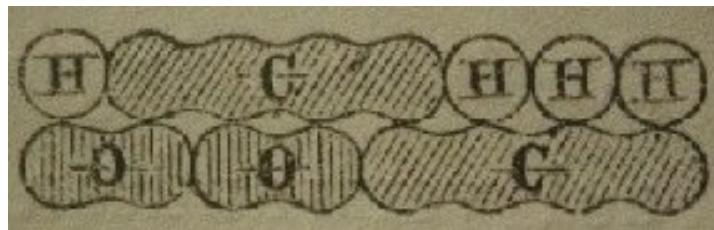
Aug. Kekulé, "Sur la constitution des substances aromatiques", *Bulletin de la Société Chimique de Paris*, 1865, 3 (2), 98–110.

Molekülstruktur, Kekulé

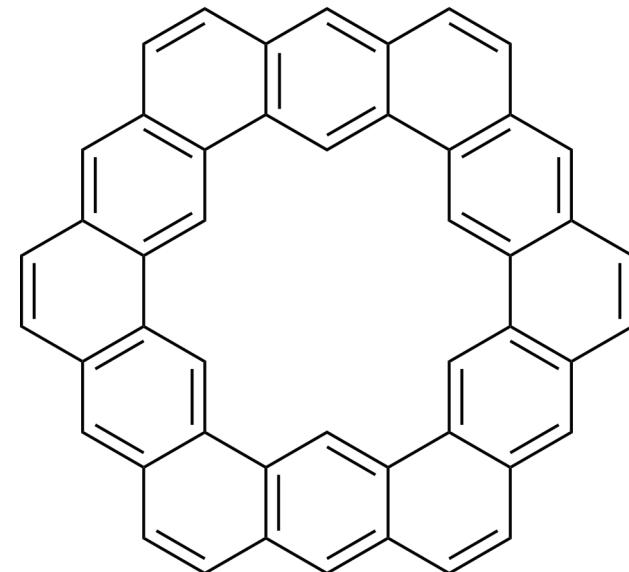
CH₃Cl, 1866:



Essigsäure, 1866:

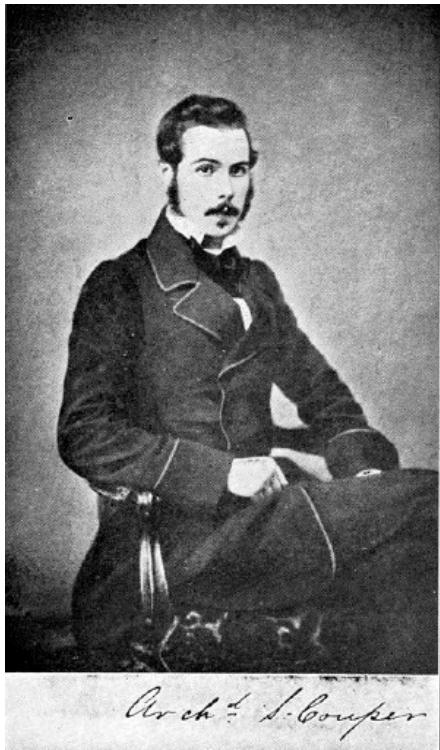


Kekulen, 1978:



F. Diederich, H. A. Staab, „Benzoid versus Annulenoid Aromaticity: Synthesis and Properties of Kekulene“, *Angew. Chem. Int. Ed.* 1978, 17 (5), 372–374.

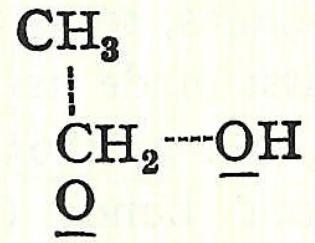
Molekülstruktur, Couper



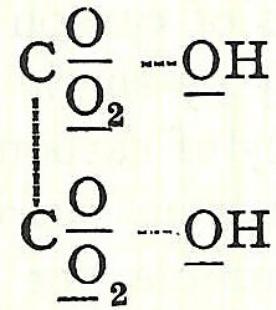
Archibald Scott Couper

1831 – 1892

"Neue chemische Theorie" 1858:

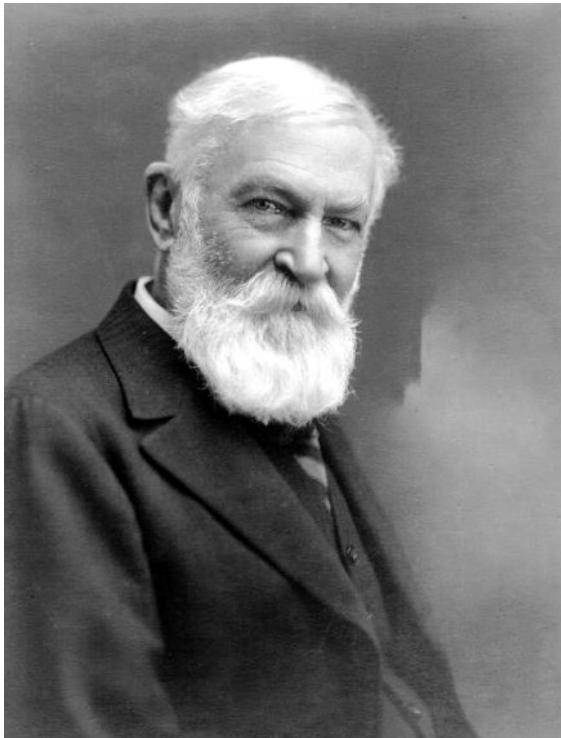


Ethanol



Oxalsäure

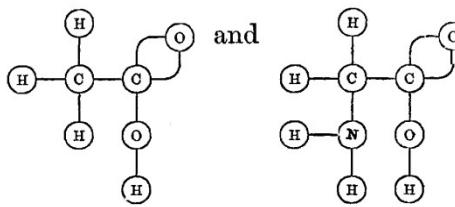
Molekülstruktur, Crum Brown



Alexander Crum Brown

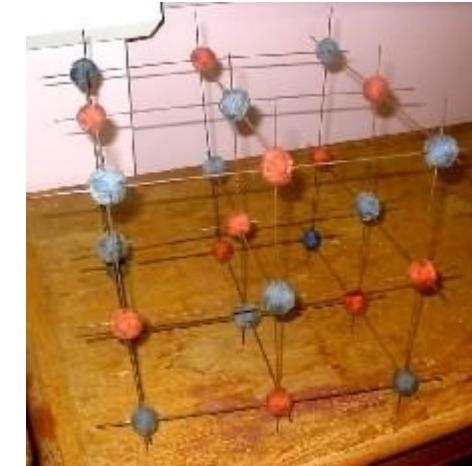
1838 – 1922

Essigsäure



Glycin

NaCl Kristall:



We here see the hydrogen and the ammonia residue NH_2 exerting a “disturbing” influence on the relation of oxygen to hydrogen through two carbon-atoms. Many other examples will at once

* Butlerow notices this disturbing influence (*Zeitschrift*, vi. 516) as opposing an obstacle, which he seems to regard as for the present insuperable, in the way of determining whether a difference exists or not among the equivalents of a multi-equivalent atom.

A. C. Brown, „On the Theory of Isomeric Compounds“, *J. Chem. Soc.*, 1865, 18, 230–245.

X-Rays



Wilhelm Conrad Röntgen
1838 – 1922

1895: X-Rays



Max von Laue
1879 – 1960

1914: Nobelpreis für Physik

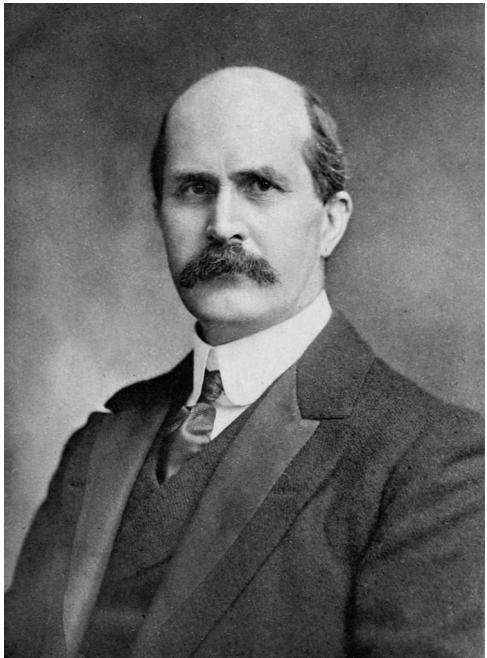


Die Relativitätstheorie

Korpuskular- und Wellentheorie

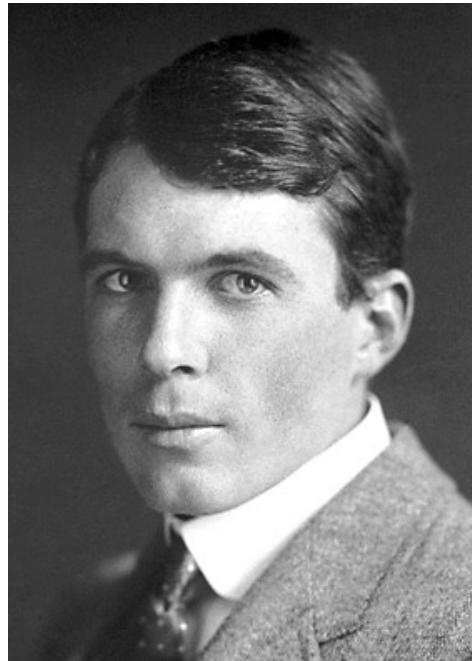
Die Interferenzen von Röntgen- und Elektronenstrahlen

Kristallstruktur, Braggs



William Henry Bragg

1862 – 1942



William Lawrence Bragg

1890 – 1971



1915: Nobelpreis für Physik „für ihre Verdienste um die Erforschung der Kristallstrukturen mittels Röntgenspektroskopie“

Molekülstruktur, Odd Hassel

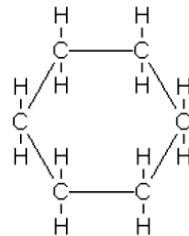


Odd Hassel
1897 – 1981

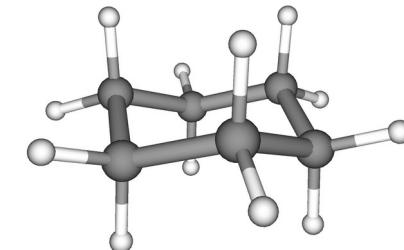
Gas-Elektronenbeugung

Sesselstruktur des Cyclohexans

1969: Nobelpreis für Chemie

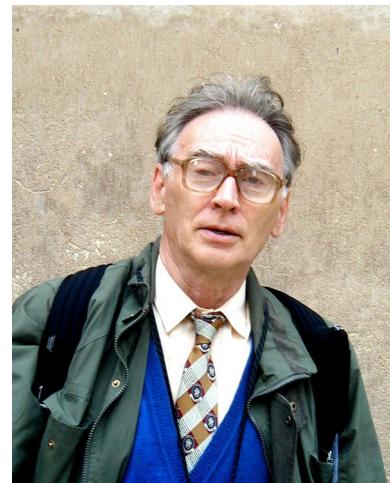


2D



3D

Molekülstruktur/GED, Lev Vilkov



Lev Vasilievich Vilkov in Lomonossow-Universität Moskau

1931 – 2010

Gas-Elektronenbeugung: Entwicklung von A bis Z

Inwiefern sind verfeinerte Molekularparameter experimentell?

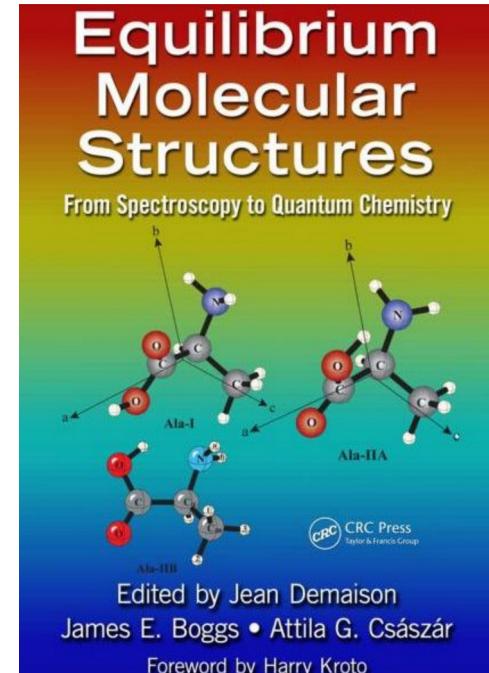
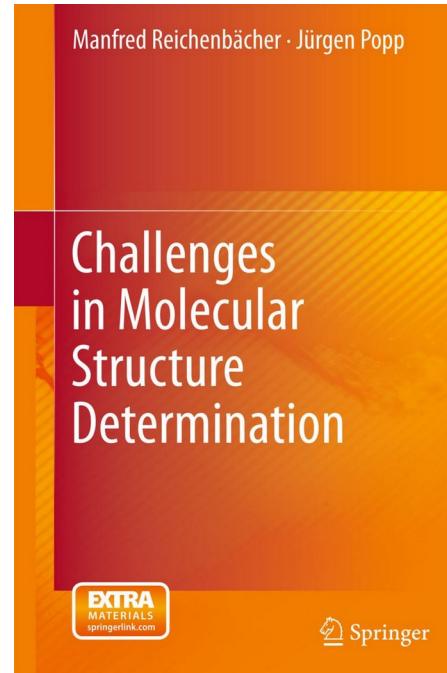
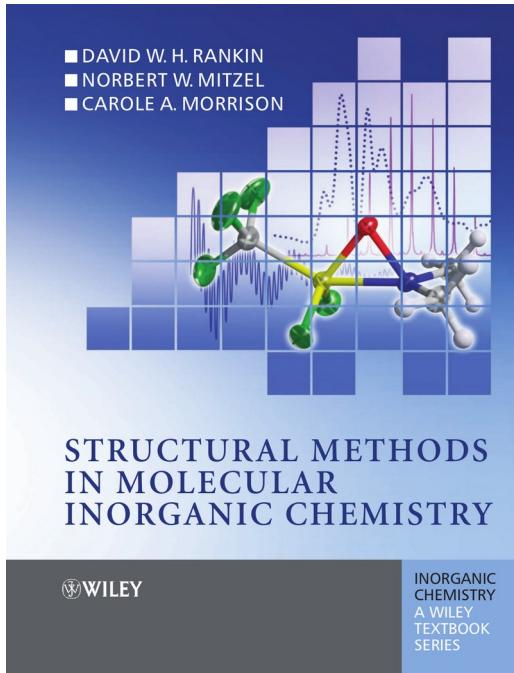
Strukturchemie: 6 Bücher, 27 Reviews, über 300 Papers, ...

Lehre: ~30 Doktorarbeiten, 6 Habilitanden

Strukturmethoden

aktueller Stand

Molekülstruktur, Bücher



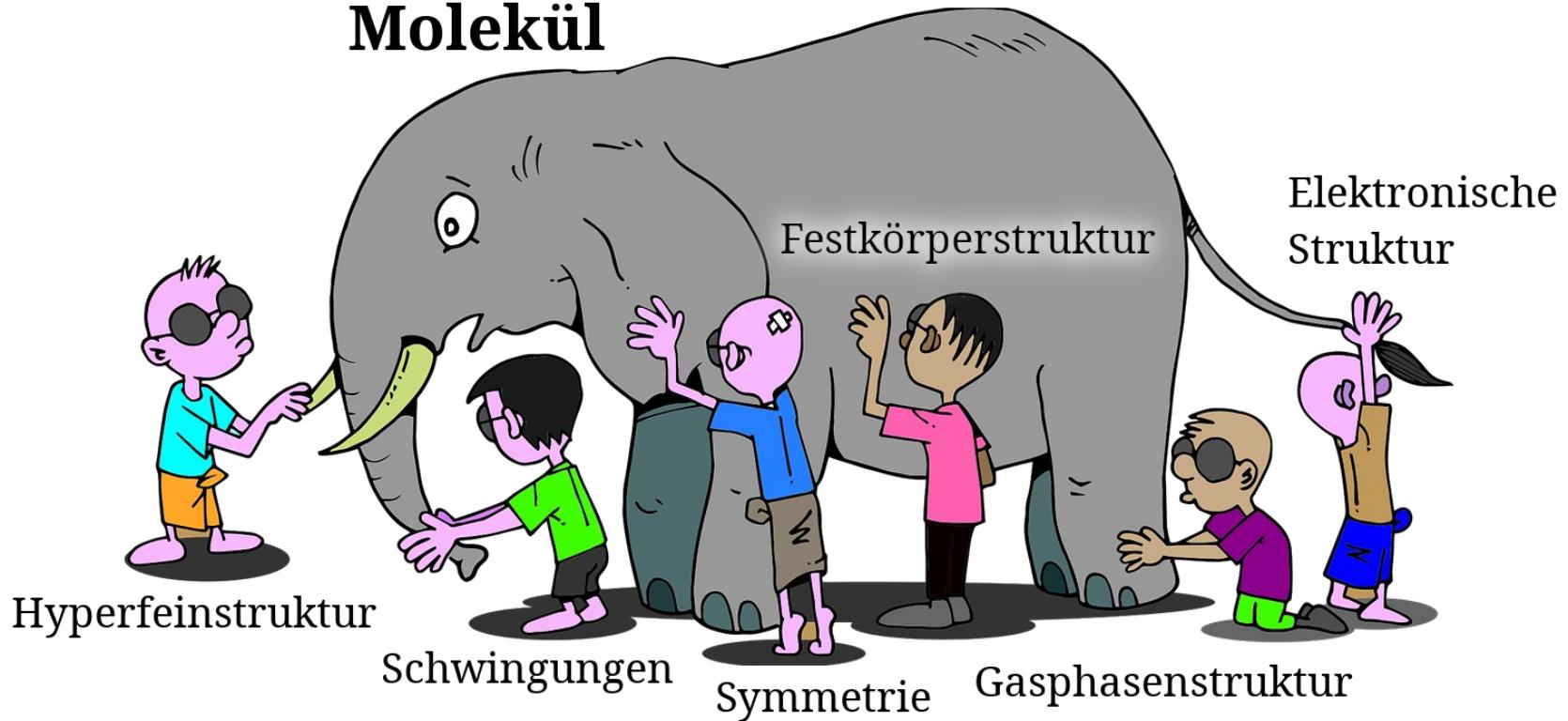
D. W. H. Rankin, N. W. Mitzel, C. A. Morrison, Structural Methods in Molecular Inorganic Chemistry, John Wiley & Sons, Chichester, 2013.

M. Reichenbächer, J. Popp, Challenges in Molecular Structure Determination, Springer, New York, 2012.

J. Demaison, J. E. Boggs, A. G. Császár, Eds., Equilibrium Molecular Structures: From Spectroscopy to Quantum Chemistry, CRC Press, Boca Raton, 2010.

Struktur?

Molekül



Born-Oppenheimer-Näherung

Wiki (de):

$$\hat{H}_{\text{mol}} \cdot \Psi_{\text{mol}}(\vec{r}, \vec{R}) = E \cdot \Psi_{\text{mol}}(\vec{r}, \vec{R})$$

$$\hat{H}_{\text{mol}} = \hat{T}_e + \hat{T}_N + \hat{V}_{ee} + \hat{V}_{NN} + \hat{V}_{eN}$$

$$\hat{T}_e = - \sum_{i=1}^n \frac{\hbar^2}{2m_e} \nabla_i^2$$

$$\hat{T}_N = - \sum_{I=1}^N \frac{\hbar^2}{2M_I} \nabla_I^2$$

$$\hat{V}_{ee} = \frac{q_0}{4\pi\epsilon_0} \sum_{i < j} \frac{1}{|\vec{r}_i - \vec{r}_j|}$$

$$\hat{V}_{NN} = \frac{q_0}{4\pi\epsilon_0} \sum_{I < J} \frac{Z_I Z_J}{|\vec{R}_I - \vec{R}_J|}$$

$$\hat{V}_{eN} = - \frac{q_0}{4\pi\epsilon_0} \sum_{i,I} \frac{Z_I}{|\vec{r}_i - \vec{R}_I|}$$

$$\Psi_{\text{mol}} = \phi \cdot \eta$$

$$\phi = \phi(\vec{r}, \vec{R})$$

$$\eta = \eta(\vec{R})$$

Achtung! Fehler in wiki (mind. Okt. 2022):

$$\hat{H}_e \cdot \phi_h(\vec{r}, \vec{R}) = E_h(\vec{R}) \cdot \phi_h(\vec{r}, \vec{R})$$

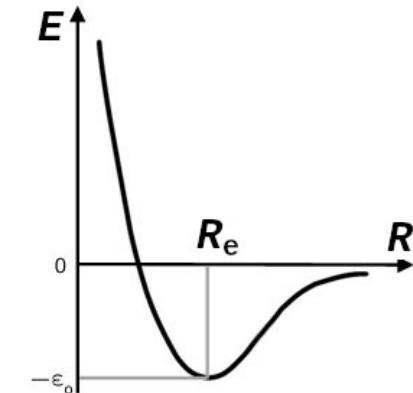
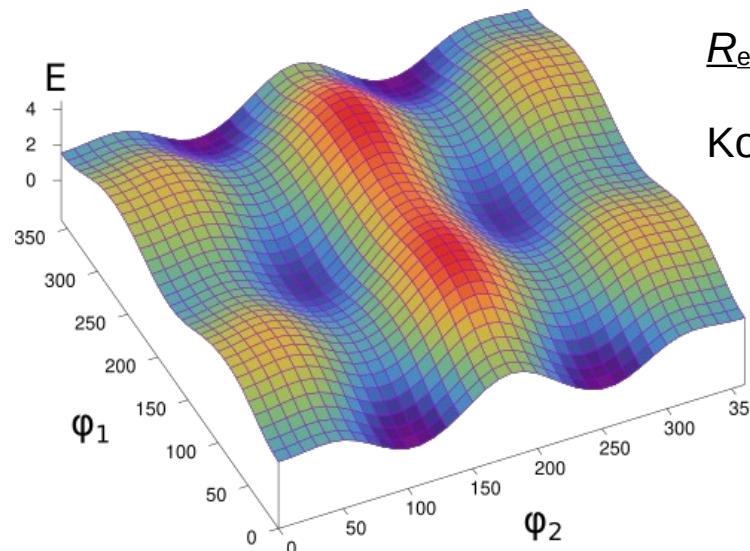
$$\hat{H}_e = \hat{T}_e + \hat{V}_{ee} + \hat{V}_{eN}$$

$$(\hat{T}_N + \hat{V}_{NN} + E_h(\vec{R})) \cdot \eta_{hk}(\vec{R}) = E_{hk} \cdot \eta_{hk}(\vec{R})$$

$E_h(R)$ – adiabatische Energie

R_e – Gleichgewichtsstruktur

Konformer \neq Konformation !



Klassifizierungen der Methoden

Wechselwirkung mit Strahlung:

- (Optische/Radio) Spektroskopie
- Diffraktion
- Elektrische Methoden
- Ionisation

Anwendung:

- Identifizierung/Sauberkeit
- Elementaranalyse
- Chemische Gruppen
- Chemische Konnektivität
- Konformations-Eigenschaften
- Symmetrie

Charakteristische Zeit:

- Langsame Methoden
- Schnelle Methoden

Probe Beeinflussung:

- Destruktiv
- Nicht destruktiv

- Geometrie (Längen, Winkel)
- Schwingungen
- Elektronische Struktur (Dichte)
- (Elektrische) Dipolmomente

Aggregatzustand der Probe:

- Gas
- Flüssigkeit
- Feststoff

Das Energiespektrum

SPECTRAL RANGE													
γ -ray	Hard X-ray	Soft X-ray	Vacuum UV	Near UV	Visible blue red	Near IR	Mid IR	Far IR	Sub-mmw	mm-wave	Micro-wave	Radio-wave	
$< 0.1\text{\AA}$	5\AA	100\AA	2000\AA		0.7 \mu m	2.5 \mu m	25 \mu m		1 mm		10 cm		λ
		10 nm	200 nm	400 nm	700 nm	2500 nm							$\tilde{\nu} / \text{cm}^{-1}$
$> 10^9$	2×10^7	10^6	5×10^4	2.5×10^4	1.4×10^4	4000	400			10	0.1		$E / \text{kJ mol}^{-1}$
1.2×10^7	2.4×10^5	1200	600	300	170	48	4.8		0.12		1.2×10^{-3}		E / eV
120 000	2400	120	6	3	1.7	0.5	0.05		0.001		0.00001		
3×10^{19}	6×10^{17}	3×10^{16}	1.5×10^{15}	7.5×10^{14}	4×10^{14}	1.2×10^{14}	1.2×10^{13}		3×10^{11}		3×10^9		ν / Hz
XRF	Electronic				Rotational				NMR				
Mössbauer	XPS	UPS	Vibrational				EPR				NQR		
GED XRD	SPECTROSCOPIC TECHNIQUES												
← Nuclear energies	Chemical energies			Molecular energies			Spin energies						

$$\tilde{\nu} = \frac{\nu}{c} = \frac{1}{\lambda} = \frac{N}{l}$$

$$E = h\nu$$

λ – Wellenlänge

ν – Frequenz

c – Phasengeschwindigkeit

E – Energie

h – Planck-Konstante

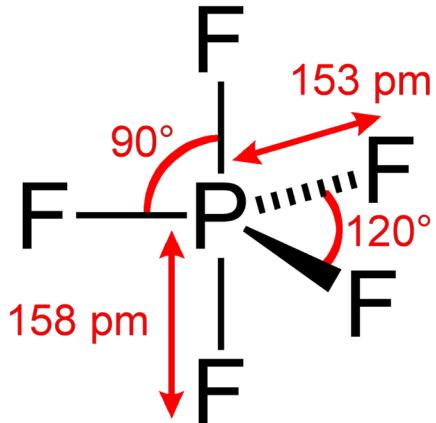
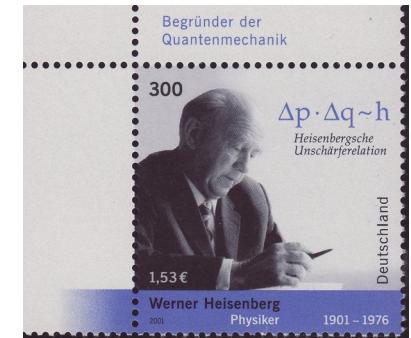
$\tilde{\nu}$ – Wellenzahl (Quotient aus der Anzahl N der auf die Länge l entfallenden Wellenlängen)

Charakteristische Zeit

Heisenbergsche Unschärferelation:

$$\Delta x \Delta p \geq \hbar/2$$

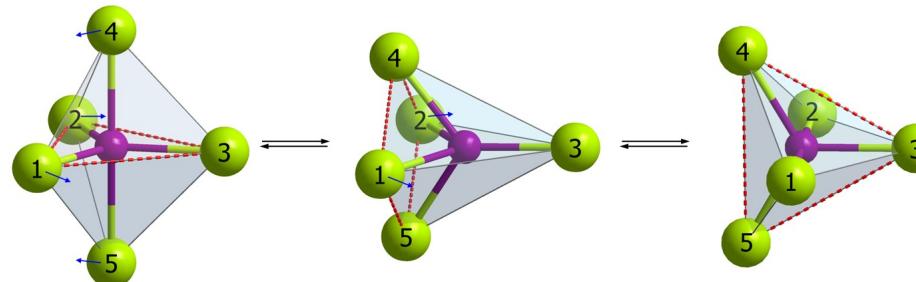
$$\Delta E \Delta t \geq \hbar$$



^{19}F NMR (langsam): $\delta(\text{F}_{\text{ax}}) = \delta(\text{F}_{\text{eq}})$ $r(\text{P-F}_{\text{ax}}) = r(\text{P-F}_{\text{eq}})$?

GED (sehr schnell): $r_g(\text{P-F}_{\text{ax}}) = 1.580(2) \text{ } \text{\AA} \neq r_g(\text{P-F}_{\text{eq}}) = 1.532(3) \text{ } \text{\AA}$

Berry-Pseudorotation:



Direktes vs. inverses Problem

$$Ax = u$$

A – Operator (Modell)

x – Parameter

u – Daten



$$x = R(u)$$

$$R = A^{-1}$$

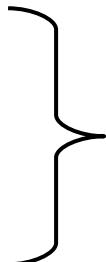
Existenz

+

Eindeutigkeit

+

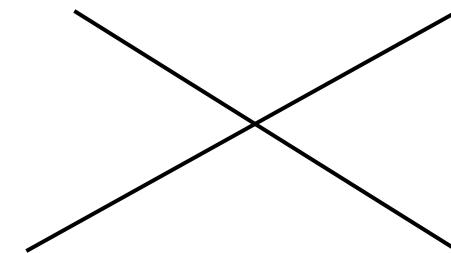
Stabilität



Gut gestelltes inv. Problem

$$y = x a_1 + b_1$$

$$y = x a_2 + b_2$$



$$a_1 \neq a_2$$

$$b_1 \neq b_2$$



$$a_1 \approx a_2$$

$$b_1 \approx b_2$$

Themen in diesem Kurs

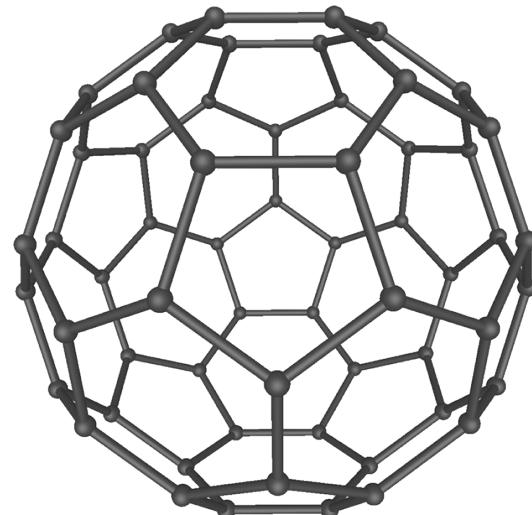
- Symmetrie
- Infrarotspektroskopie
- Raman-Spektroskopie
- Mikrowellenspektroskopie
- Rotations-Schwingunsspektroskopie
- Elektronische Struktur
- Diffraktion
- Gas-Elektronen-Diffraktion
- Diffraktion in kondensierter Materie
- Strukturverfeinerung, phasenabhängige Strukturen
- Kernresonanz-Spektroskopie
- Elektronenspinresonanz-Spektroskopie
- Massenspektrometrie

Molekül des Tages

Buckminsterfulleren C₆₀

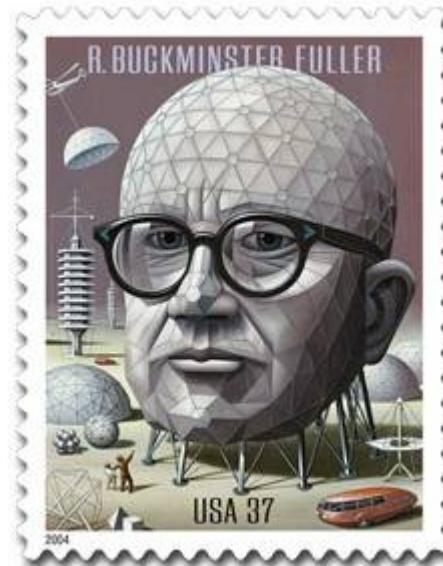
Anorganisches Moleköl!

Symmetrie: I_h



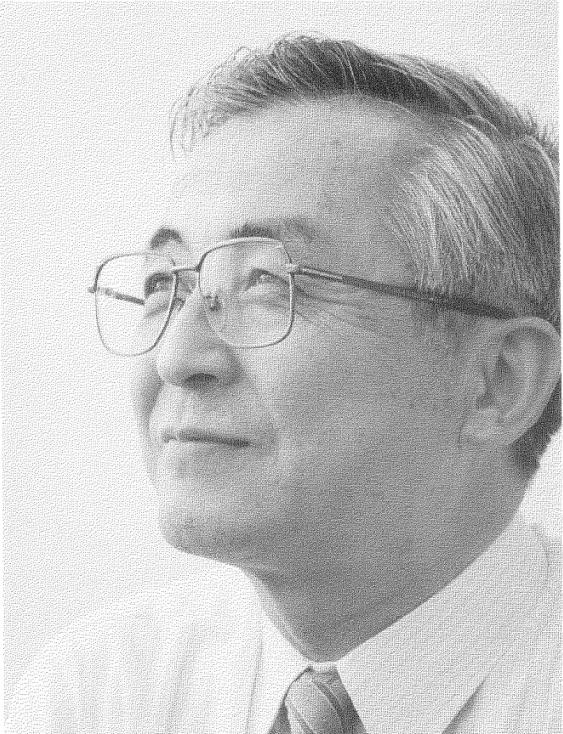
Richard Buckminster Fuller

1895 – 1983



Nobelpreis für Chemie (1996): Robert F. Curl Jr., Harold W. Kroto, Richard E. Smalley

Buckminsterfulleren: Theorie



Eiji Osawa, 1994 (photograph by I. Hargittai).



Two adjacent half pages from Osawa, E. *Kagaku* 1970, 25, 854.

Buckminsterfulleren: Theorie



Elena G. Gal'pern in 1988 (courtesy of Elena Gal'pern) and Ivan V. Stankevich in 1990 (courtesy of Ivan Stankevich).

D. A. Bochvar, E. G. Gal'pern, "On hypothetical systems: carbododecahedron, s-icosahedron, and carbo-s-icosahedron", Dokl. Acad. Nauk SSSR, 1973, 209:3, 610–612

Buckminsterfulleren: GED

Kenneth Wayne Hedberg

1920 - 2019



Bond Lengths in Free Molecules of Buckminsterfullerene, C₆₀, from Gas-Phase Electron Diffraction

KENNETH HEDBERG,* LISE HEDBERG, DONALD S. BETHUNE, C. A. BROWN, H. C. DORN, ROBERT D. JOHNSON, M. DE VRIES

Electron diffraction patterns of the fullerene C₆₀ in the gaseous state have been obtained by volatilizing it from a newly designed oven-nozzle at 730°C. The many peaks of the experimental radial distribution curve calculated from the scattered intensity are completely consistent with icosahedral symmetry for the free molecule. On the basis of this symmetry assumption, least-squares refinement of a model incorporating all possible interatomic distances led to the values $r_g(C_1-C_2) = 1.458$ (6) angstroms (Å) for the thermal average bond length within the five-member ring (that is, for the bond fusing five- and six-member rings) and $r_g(C_1-C_6) = 1.401(10)$ Å for that connecting five-member rings (the bond fusing six-member rings). The weighted average of the two bond lengths and the difference between them are the values 1.439(2) Å and 0.057(6) Å, respectively. The diameter of the icosahedral sphere is 7.113(10) Å. The uncertainties in parentheses are estimated 2σ values.

RESEARCH ON THE PROPERTIES OF the molecule "buckminsterfullerene," C₆₀, has been increasing rapidly. Among the many results now available, however, there is little information about the lengths of the bonds. To date the most accurate values appear to be those from nuclear magnet-

ic resonance (NMR) work (1) (1.45 ± 0.015 Å for the bonds within the five-member ring and 1.40 ± 0.015 Å for the bonds connecting five-member rings). There are also measurements from neutron diffraction [1.44 Å (2) and 1.42 Å (3) for the weighted average distance]. All of these measurements were done on ma-

terial in condensed phases. There are also results from semiempirical and ab initio quantum mechanical calculations; the most recent of these includes the effect of electron correlation at the MP2 level and predicts the bond lengths at 1.445 Å and 1.405 Å (4). We carried out the electron-diffraction study described here for two reasons. First, it seemed quite likely the results for the bond lengths would be more precise than any presently available, and second, these results for the gas-phase molecule would be free from the effects of intermolecular interaction that could conceivably play a role in condensed phase measurements.

Our sample of C₆₀ was produced at IBM with an arc fullerene generator (5, 6) and removed from the soot utilizing toluene in a soxhlet extractor. The extract was purified by liquid chromatography (basic alumina) with a gradient elution system of hexane and chlorinated solvents, and characterized by NMR (7, 8) and mass spectroscopy; separation has also been obtained using a 95/5 hexane/toluene system (9).

The electron diffraction work was done at Oregon State University. In a usual type of diffraction experiment, a well-columnated,

Table 1. Interatomic distances and root-mean-square amplitudes of vibration in C₆₀. The symbol r_g denotes the thermal average distance, r_s the distance consistent with the scattering equations, and I the root-mean-square amplitude of vibration. Quantities in parentheses are estimated 2σ uncertainties; those for r_g are estimated to be the same as for r_s . Amplitudes in curly brackets were refined as a group. The term number corresponds to that in Fig. 3.

Term	r_s (Å)	r_g (Å)	I (Å)	Term	r_s (Å)	r_g (Å)	I (Å)
R^*	3.332 ₇ (r_g)			r_g^{\dagger}	1.237 ₉ (5 ₃)		
$\langle r_{\text{bond}} \rangle^{\ddagger}$	1.436 (2)	1.439		$\Delta r_{\text{bond}}^{\ddagger}$	0.057 (6)	0.057	
1-6	1.396 (10)	1.401	0.062 (8)	1-9'	5.408 (10)	5.411	0.136 (34)
1-2	1.455 (6)	1.458	0.065 (5)	1-14'	5.491 (8)	5.494	0.134 (23)
1-3	2.355 (10)	2.357	0.080 (10)	1-15'	5.795 (8)	5.798	0.129 (18)
1-7'	2.477 (5)	2.474	0.093 (7)	1-15'	6.08 (8)	6.075	0.124 (13)
1-12	2.853 (6)	2.857	0.097 (9)	1-8'	6.143 (6)	6.146	0.136 (13)
1-8	3.581 (5)	3.584	0.100 (7)	1-12'	6.513 (9)	6.516	0.144 (18)
1-15	3.699 (6)	3.702	0.099 (12)	1-7'	6.667 (9)	6.670	0.144 (18)
1-13	4.120 (6)	4.123	0.109 (8)	1-3'	6.709 (10)	6.712	0.144 (18)
1-14	4.517 (7)	4.520	0.115 (10)	1-2'	6.960 (10)	6.963	0.145 (31)
1-19'	4.617 (9)	4.619	0.106 (23)	1-6'	6.972 (10)	6.975	0.145 (31)
1-18'	4.841 (8)	4.844	0.117 (26)	1-1'	7.110 (10)	7.113	0.145 (31)
1-18	5.208 (9)	5.212	0.145 (40)				

*Structure-defining parameter: distance from center of the icosahedral sphere to center of five-member ring.
†Weighted average of bond lengths.
‡Bond length difference.

†Structure-defining parameter: radius of circle comprising the five-member rings. The 1770 distances between

Fig. 1. Intensity curves for C₆₀ from the gas phase and by a factor of 10 above background. The molecular structure-sensitive part of the experimental intensity to be compared with the theoretical curve is $I^*(\theta)/I^*(0)$ [background]. The theoretical curve corresponds to the model of Table 1. The differences are experimental minus theoretical. Since the intensity on an arbitrary scale, the abscissa is defined by $j = 4\pi\lambda^{-1}\sin(\theta/2)$, where θ is the scattering angle.

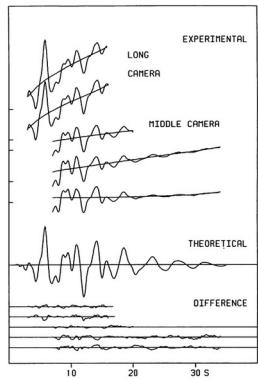
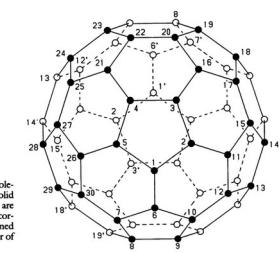


Fig. 2. Radial distribution of distances in C₆₀. The experimental curve was calculated from a composite of three experiments. The curve shown in Fig. 1, multiplied by $\exp(-0.0020r^2)$, to minimize series termination errors. Theoretical bars indicate distances given in Table 1; their lengths are proportional to the weights of the terms. The difference curve is experimental minus theoretical (not shown).

Reduction of the data and their treatment by our usual methods (12) gave the experimental intensity curves of Fig. 1 and the corresponding radial distribution curve of Fig. 2. If the structure has icosahedral symmetry, the geometry of the molecule is defined by only two parameters, which for convenience we chose as the radius vector from the center of the icosahedral sphere to the center of the five-member ring and the radius of the circle comprising the five-member rings. The 1770 distances between

K. Hedberg and L. Hedberg, Department of Chemistry, Oregon State University, Corvallis, OR 97331.
R. S. Brown, C. A. Brown, R. D. Johnson, IBM Research Division, Almaden Research Center, 650 Harry Road, San Jose, CA 95120-6099.
H. C. Dorn, R. D. Johnson, Virginia Polytechnic Institute, Blacksburg, VA 24061.
*To whom correspondence should be addressed.



Quellen/Literatur

- D. W. H. Rankin, N. W. Mitzel, C. A. Morrison, Structural Methods in Molecular Inorganic Chemistry, John Wiley & Sons, Chichester, 2013.
- M. Reichenbächer, J. Popp, Challenges in Molecular Structure Determination, Springer, New York, 2012.
- J. Demaison, J. E. Boggs, A. G. Csaszar, Eds., Equilibrium Molecular Structures: From Spectroscopy to Quantum Chemistry, CRC Press, Boca Raton, 2010.
- B. Hargittai, I. Hargittai, M. Hargittai, Candid Science: Conversations with Famous Scientists, Imperial College Press, Vols I-VI, 2000-2006.
- L. Pauling, The Nature of the Chemical Bond and the Structure of Molecules and Crystals: An Introduction to Modern Structural Chemistry, Cornell University Press, 1960.